

5.177 in

	DESCRIPTION	LINKS	GRAPH	AUTOMATON
Origin	Domain definition.			
Constraint	<code>in(VAR, VALUES)</code>			
Synonyms	<code>dom</code> , <code>in_set</code> , <code>member</code> .			
Arguments	VAR : <code>dvar</code> VALUES : <code>collection(val-int)</code>			
Restrictions	$ VALUES > 0$ <code>required(VALUES, val)</code> <code>distinct(VALUES, val)</code>			
Purpose	Enforce the domain variable VAR to take a value within the values described by the VALUES collection.			
Example	<code>(3, <1, 3>)</code>			
	The <code>in</code> constraint holds since its first argument <code>VAR = 3</code> occurs within the collection of values <code>VALUES = <1, 3></code> .			
Typical	$ VALUES > 1$			
Symmetries	<ul style="list-style-type: none"> Items of <code>VALUES</code> are <code>permutable</code>. <code>VAR</code> can be <code>set</code> to any value of <code>VALUES.val</code>. One and the same constant can be <code>added</code> to <code>VAR</code> as well as to the <code>val</code> attribute of all items of <code>VALUES</code>. 			
Arg. properties	<code>Extensible</code> wrt. <code>VALUES</code> .			
Remark	Entailment occurs immediately after posting this constraint. The <code>in</code> constraint is called <code>dom</code> in Gecode (http://www.gecode.org/), and <code>member</code> in MiniZinc (http://www.minizinc.org/). In MiniZinc the <code>val</code> attribute is not necessarily fixed, i.e. it can be a domain variable.			
Systems	<code>member</code> in Choco , <code>rel</code> in Gecode , <code>domin</code> in Gecode , <code>in</code> in JaCoP , <code>member</code> in MiniZinc , <code>in</code> in SICStus , <code>in_set</code> in SICStus .			
Used in	<code>among</code> , <code>cardinality_atmost_partition</code> , <code>group</code> , <code>group_skip_isolated_item</code> , <code>in_same_partition</code> , <code>open_among</code> .			

See also

common keyword: `domain` (*domain definition*), `in_interval`, `in_same_partition`, `in_set` (*value constraint*).

implied by: `maximum`, `minimum`.

implies: `between_min_max`.

negation: `not_in`.

Keywords

characteristic of a constraint: `automaton`, `automaton without counters`, `reified automaton constraint`, `derived collection`.

constraint arguments: unary constraint.

constraint network structure: `centered cyclic(1)` `constraint network(1)`.

constraint type: value constraint.

filtering: `arc-consistency`.

modelling: `included`, `domain definition`.

Derived Collection

$$\text{col}(\text{VARIABLES} - \text{collection}(\text{var} - \text{dvar}), [\text{item}(\text{var} - \text{VAR})])$$

Arc input(s)

VARIABLES VALUES

Arc generator*PRODUCT* \mapsto *collection*(variables, values)**Arc arity**

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Arc constraint(s)

variables.var = values.val

Graph property(ies)NARC = 1**Graph model**

Parts (A) and (B) of Figure 5.398 respectively show the initial and final graph associated with the **Example** slot. Since we use the **NARC** graph property, the unique arc of the final graph is stressed in bold.

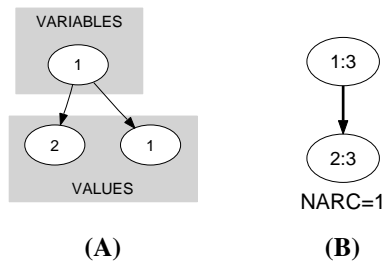


Figure 5.398: Initial and final graph of the in constraint

Signature

Since all the val attributes of the VALUES collection are distinct and because of the arc constraint variables.var = values.val the final graph contains at most one arc. Therefore we can rewrite $\text{NARC} = 1$ to $\text{NARC} \geq 1$ and simplify NARC to NARC.

Automaton

Figure 5.399 depicts the automaton associated with the `in` constraint. Let VAL_i be the `val` attribute of the i^{th} item of the `VALUES` collection. To each pair (VAR, VAL_i) corresponds a 0-1 signature variable S_i as well as the following signature constraint: $VAR = VAL_i \Leftrightarrow S_i$.

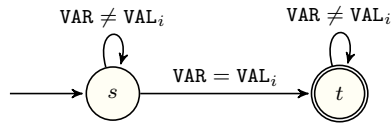


Figure 5.399: Automaton of the `in` constraint

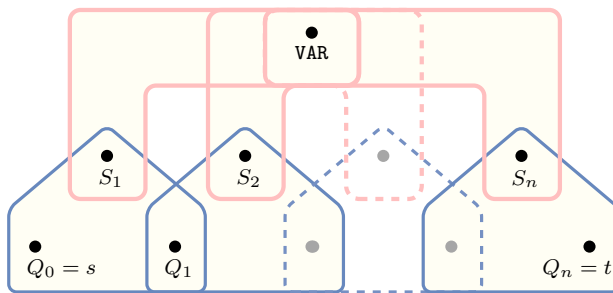


Figure 5.400: Hypergraph of the reformulation corresponding to the automaton of the `in` constraint