AUTOMATON

5.203 ith_pos_different_from_0

	DESCRIPTION	LINKS	AUTOMATON
Origin	N. Beldiceanu		
Constraint	$\verb"ith_pos_different_from_O(ITH, POS, VARIABLES)$		
Arguments	ITH : int POS : dvar VARIABLES : collection(var-dvar)	
Restrictions	$\begin{array}{l} \texttt{ITH} \geq 1 \\ \texttt{ITH} \leq \texttt{VARIABLES} \\ \texttt{POS} \geq \texttt{ITH} \\ \texttt{POS} \leq \texttt{VARIABLES} \\ \texttt{required}(\texttt{VARIABLES},\texttt{var}) \end{array}$		
Purpose	POS is the position of the ITH^{th} r	on-zero item of the seq	uence of variables VARIABLES.
Example	$(2, 4, \langle 3, 0, 0, 8, 6 \rangle)$ The ith_pos_different_from_(tion of the 2 th non-zero item of the) constraint holds sind e sequence 3 0 0 8 6.	ce 4 corresponds to the posi-
Typical	$\begin{split} \texttt{VARIABLES} > 1 \\ \texttt{range}(\texttt{VARIABLES}.\texttt{var}) > 1 \\ \texttt{atleast}(1,\texttt{VARIABLES},0) \end{split}$		
Symmetry	An occurrence of a value of VARJ any other value that is also different	ABLES.var that is different from 0.	erent from 0 can be replaced by
Arg. properties	Suffix-extensible wrt. VARIABLES	3.	
Keywords	characteristic of a constraint: jol constraint network structure: alj constraint type: data constraint. modelling: table.	xer value, automaton, au	atomaton with counters. etwork(3).

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Automaton

Figure 5.453 depicts the automaton associated with the ith_pos_different_from_0 constraint. To each variable VAR_i of the collection VARIABLES corresponds a 0-1 signature variable S_i . The following signature constraint links VAR_i and S_i : VAR_i = 0 \Leftrightarrow S_i .

$$\begin{array}{c} \operatorname{VAR}_{i} = 0, \\ \{\operatorname{if} C < \operatorname{ITH} \operatorname{then} D \leftarrow D + 1\} \\ \end{array} \\ \left\{ \begin{array}{c} C \leftarrow 0, \\ D \leftarrow 0 \end{array} \right\} \longrightarrow \left\{ \begin{array}{c} s \\ s \\ \vdots \\ \end{array} \right\} \xrightarrow{\operatorname{VAR}_{i} \neq 0, \\ \left\{ \operatorname{if} C < \operatorname{ITH} \operatorname{then} \begin{array}{c} C \leftarrow C + 1, \\ D \leftarrow D + 1 \end{array} \right\} \\ \end{array} \right\} \\ \end{array}$$

Figure 5.453: Automaton of the ith_pos_different_from_0 constraint



Figure 5.454: Hypergraph of the reformulation corresponding to the automaton of the ith_pos_different_from_0 constraint