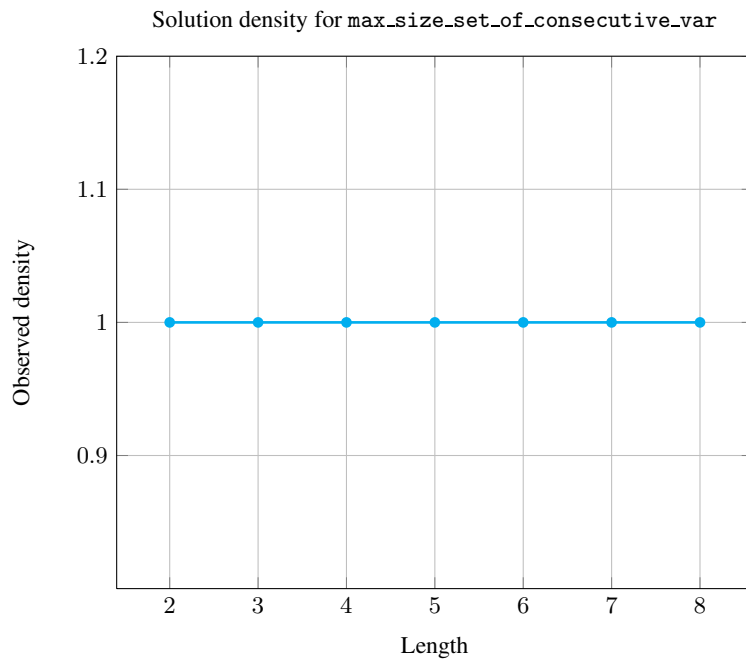
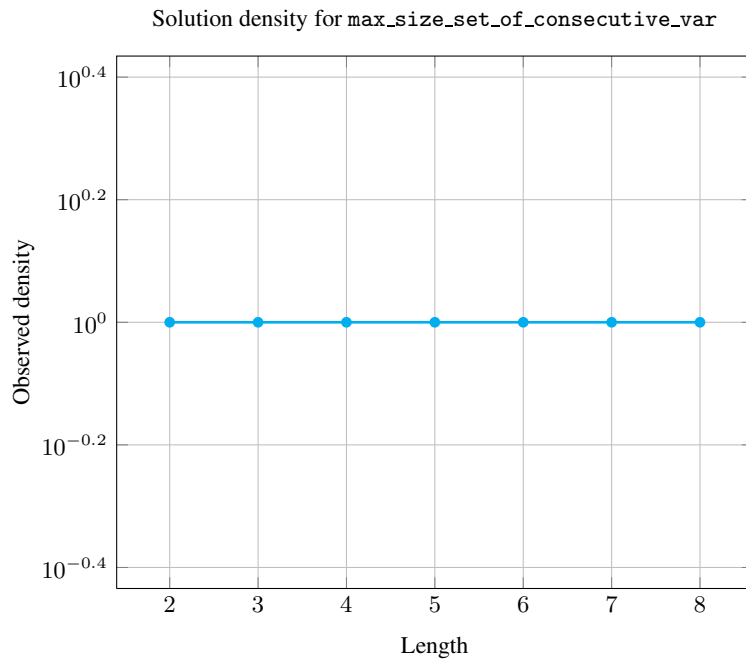


## 5.248 max\_size\_set\_of\_consecutive\_var

	DESCRIPTION	LINKS	GRAPH
<b>Origin</b>	N. Beldiceanu		
<b>Constraint</b>	max_size_set_of_consecutive_var(MAX, VARIABLES)		
<b>Arguments</b>	MAX : dvar VARIABLES : collection(var-dvar)		
<b>Restrictions</b>	$MAX \geq 1$ $MAX \leq  VARIABLES $ required(VARIABLES, var)		
<b>Purpose</b>	MAX is the size of the largest set of variables of the collection VARIABLES that all take their value in a set of consecutive values.		
<b>Example</b>	$(6, \langle 3, 1, 3, 7, 4, 1, 2, 8, 7, 6 \rangle)$ $(2, \langle 2, 6, 7, 3, 0, 9 \rangle)$		
	In the first example, the two sets $\{3, 1, 3, 4, 1, 2\}$ and $\{7, 8, 7, 6\}$ take respectively their values in the two following sets of consecutive values $\{1, 2, 3, 4\}$ and $\{6, 7, 8\}$ . Consequently, the corresponding max_size_set_of_consecutive_var constraint holds since the cardinality of the largest set of variables is 6.		
<b>Typical</b>	$MAX <  VARIABLES $ $ VARIABLES  > 0$ range(VARIABLES.var) > 1		
<b>Symmetries</b>	<ul style="list-style-type: none"> <li>Items of VARIABLES are <a href="#">permutable</a>.</li> <li>All occurrences of two distinct values of VARIABLES.var can be <a href="#">swapped</a>.</li> <li>One and the same constant can be <a href="#">added</a> to the var attribute of all items of VARIABLES.</li> </ul>		
<b>Arg. properties</b>	Functional dependency: MAX determined by VARIABLES.		
<b>Counting</b>			

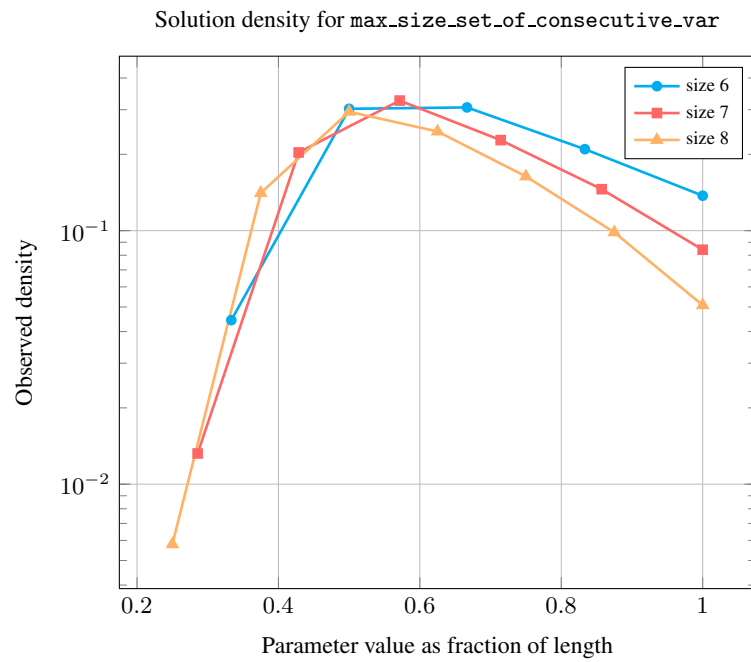
Length ( $n$ )	2	3	4	5	6	7	8
Solutions	9	64	625	7776	117649	2097152	43046721

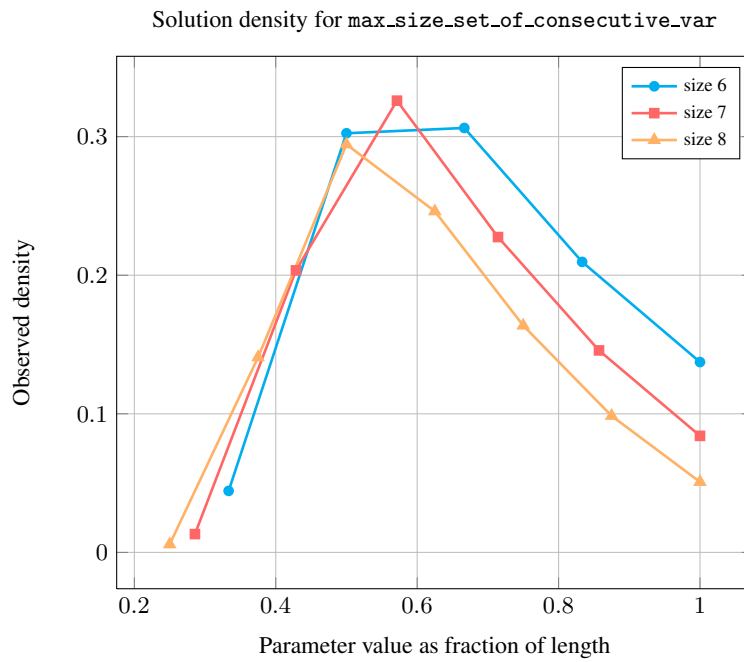
Number of solutions for max\_size\_set\_of\_consecutive\_var: domains 0..n



Length ( $n$ )		2	3	4	5	6	7	8
Total		9	64	625	7776	117649	2097152	43046721
Parameter value	1	2	-	-	-	-	-	-
	2	7	30	168	720	5220	27720	249480
	3	-	34	240	3080	35580	426720	6059760
	4	-	-	217	2260	36030	683550	12672940
	5	-	-	-	1716	24660	477162	10592848
	6	-	-	-	-	16159	305634	7044632
	7	-	-	-	-	-	176366	4239424
	8	-	-	-	-	-	-	2187637

Solution count for max\_size\_set\_of\_consecutive\_var: domains 0..n





**See also** [common keyword: nset\\_of\\_consecutive\\_values](#) (*consecutive values*).

**Keywords** [characteristic of a constraint: consecutive values, maximum.](#)

[constraint arguments: pure functional dependency.](#)

[constraint type: value constraint.](#)

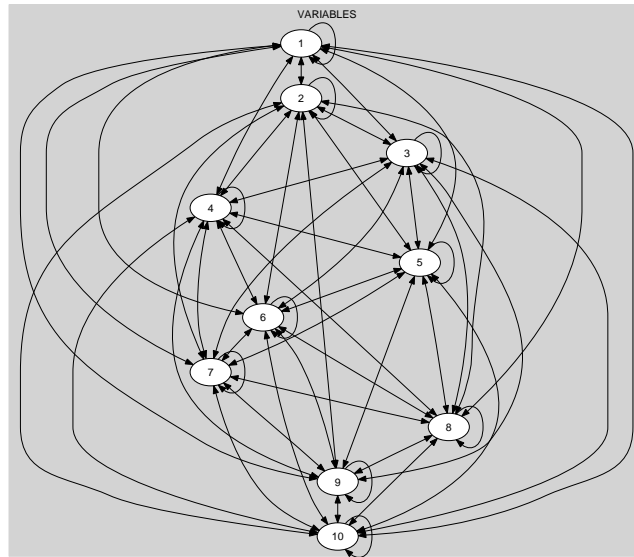
[modelling: functional dependency.](#)

<b>Arc input(s)</b>	VARIABLES
<b>Arc generator</b>	<i>CLIQUE</i> $\mapsto$ <code>collection(variables1, variables2)</code>
<b>Arc arity</b>	2
<b>Arc constraint(s)</b>	$\text{abs}(\text{variables1.var} - \text{variables2.var}) \leq 1$
<b>Graph property(ies)</b>	<u><i>MAX_NSCC</i></u> = MAX

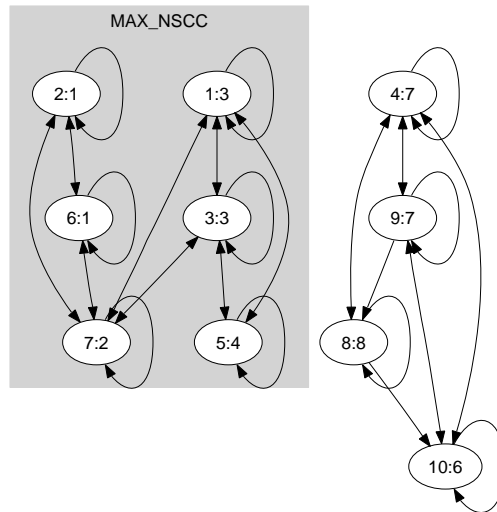
**Graph model**

Since the arc constraint is symmetric each strongly connected component of the final graph corresponds exactly to one connected component of the final graph.

Parts (A) and (B) of Figure 5.519 respectively show the initial and final graph associated with the first example of the **Example** slot. Since we use the *MAX\_NSCC* graph property, we show the largest strongly connected component of the final graph.



(A)



(B)

MAX\_NSCC=6

Figure 5.519: Initial and final graph of the max\_size\_set\_of\_consecutive\_var constraint