4	5.288	nvalues		
	DE	SCRIPTION	LINKS	GRAPH
Origin	Inspir	red by <b>nvalue</b> and <b>count</b>		
Constraint	nval	ues(VARIABLES, RELOP,	LIMIT)	
Arguments	VAR REL LIM	IABLES : collectio OP : atom IT : dvar	n(var-dvar)	
Restrictions	rec REL	uired(VARIABLES,var) $\texttt{OP} \in [=, \neq, <, \geq, >, \leq]$		
Purpose	Let colle	V be the number of distinction. Enforce condition <i>I</i>	inct values assigne V RELOP LIMIT to	d to the variables of the VARIABLES hold.
Example	The r the co LIMIT	(4, 5, 5, 4, 1, 5), =, 3) values constraint holds ellection $(4, 5, 5, 4, 1, 5)$ (2 = 3).	s since the numbe is equal (i.e., REL	r of distinct values occurring within DP is set to $=$ ) to its third argument
Typical	VA LIM LIM REL	$\begin{aligned} \text{RIABLES}  &> 1\\ \text{IIT} &> 1\\ \text{IIT} &<  \text{VARIABLES} \\ \text{OP} &\in [=, <, \ge, >, \le] \end{aligned}$		
Symmetries	•	Items of VARIABLES are All occurrences of two occurrences of a value o	e permutable. distinct values of f VARIABLES.var o	VARIABLES.var can be swapped; all can be renamed to any unused value.
Arg. properties	•	Contractible wrt. VARIA Contractible wrt. VA  VARIABLES  > 0. Contractible wrt. VARIA Extensible wrt. VARIAB	BLES when RELOP RIABLES when R BLES when RELOP LES when RELOP ∈	$\in [<, \leq].$ ELOP $\in [=]$ , LIMIT = 1 and $\in [=]$ and LIMIT =  VARIABLES . $[\geq, >].$
Usage	Used assig	in the <b>Constraint(s)</b>	on sets slot f	or defining some constraints like pured_cumulative.
Reformulation	The n <sup>.</sup> junctio	values(VARIABLES, REL on $nvalue(NV, VARIABL$	$(OP,LIMIT)$ constructs $(SOP)\wedge NV$ RELOP	aint can be expressed in term of the con- LIMIT.
Systems	nvalu	es in Gecode.		

## 

Used in	assign_and_nvalues, coloured_cumulatives.	circuit_cluster,	coloured_cumulative,		
See also	assignment dimension added: assign_and_nvalues. common keyword: nvalues_except_0 (counting constraint,number of distinct values). specialisation: nvalue (replace a comparison with the number of distinct values by an equality with the number of distinct values).				
Keywords					
	final graph structure: strongly connected component, equivalence.				
	modelling: number of distinct equivalence classes, number of distinct values.				
	problems: domination.				
Cond. implications	nvalues(VARIABLES, RELOP, LIMIT)				
	with minval(VARIABLES.var) > 0				
	implies <pre>nvalues_except_0(VARIABLES, RELOP, LIMIT).</pre>				

Arc input(s)	VARIABLES
Arc generator	$CLIQUE \mapsto \texttt{collection}(\texttt{variables1}, \texttt{variables2})$
Arc arity	2
Arc constraint(s)	variables1.var = variables2.var
Graph property(ies)	NSCC RELOP LIMIT
Graph class	EQUIVALENCE

Graph model

Parts (A) and (B) of Figure 5.602 respectively show the initial and final graph associated with the **Example** slot. Since we use the **NSCC** graph property we show the different strongly connected components of the final graph. Each strongly connected component corresponds to a value that is assigned to some variables of the VARIABLES collection. The 3 following values 1, 4 and 5 are used by the variables of the VARIABLES collection.



Figure 5.602: Initial and final graph of the nvalues constraint