5.323 place_in_pyramid

| | DESCRIPTION | LINKS | GRAPH |
|--------------|--|---|--|
| Origin | N. Beldiceanu | | |
| Constraint | place_in_pyramid(ORTHOTOPH | es, vertical_dim) | |
| Туре | ORTHOTOPE : collection | (ori-dvar, siz-dv | var, end-dvar) |
| Arguments | ORTHOTOPES : collect: VERTICAL_DIM : int | ion(orth-ORTHOTC) | DPE) |
| Restrictions | $\begin{array}{l} \texttt{ORTHOTOPE} > 0 \\ \textbf{require_at_least}(2,\texttt{ORTHOT}) \\ \texttt{ORTHOTOPE.siz} \geq 0 \\ \texttt{ORTHOTOPE.ori} \leq \texttt{ORTHOTOPE} \\ \textbf{required}(\texttt{ORTHOTOPES},\texttt{orth}) \\ \textbf{same_size}(\texttt{ORTHOTOPES},\texttt{ort}) \\ \textbf{vertICAL_DIM} \geq 1 \\ \texttt{diffn}(\texttt{ORTHOTOPES}) \end{array}$ | E.end n) |) |
| Purpose | overlap (two orthotopes do not o projections do not overlap). In | overlap if there exists addition, each orthoto er orthotope or by the | n ORTHOTOPES, O_1 and O_2 do not at least one dimension where their ope of the collection ORTHOTOPES ground. The vertical dimension is |
| Example | $\left(\begin{array}{c} \operatorname{orth} - \langle \operatorname{ori} - 1 \operatorname{siz} \\ \operatorname{orth} - \langle \operatorname{ori} - 1 \operatorname{siz} \\ \operatorname{orth} - \langle \operatorname{ori} - 1 \operatorname{siz} \\ \operatorname{orth} - \langle \operatorname{ori} - 5 \\ \operatorname{ori} - 1 \\ \operatorname{orth} - \langle \operatorname{ori} - 5 \\ \operatorname{ori} - 3 \\ \operatorname{orth} - \langle \operatorname{ori} - 8 \\ \operatorname{ori} - 8 \\ \operatorname{ori} - 5 \\ \end{array}\right)$ | z - 3 end - 4, ori - 2 - 2 end - 3, ori - 3iz - 6 end - 11i siz - 2 end - 3iz - 2 end - 7, ori - 3iz - 3 end - 11i siz - 2 end - 5iz - 2 end - 5iz - 2 end - 10i siz - 2 end - 7i siz - 7i siz - 2 end - 7i siz | $\begin{array}{c c}1 \operatorname{siz} - 2 \operatorname{end} - 3\rangle, \\3 \operatorname{siz} - 3 \operatorname{end} - 6\rangle, \\\gamma \rangle, \\3 \operatorname{siz} - 2 \operatorname{end} - 5\rangle, \rangle, 2 \\\gamma \rangle, \\\gamma \rangle, \\\gamma \rangle, \end{array}$ |
| | Figure 5.652 depicts the placer of the ORTHOTOPES collection is | nent associated with represented by the rec gles do not overlap an | the example, where the <i>i</i> th item tangle Ri. The place_in_pyramid d since rectangles R1, R2, R3, R4, |
| Typical | $\begin{split} \texttt{ORTHOTOPE} > 1 \\ \texttt{ORTHOTOPE.siz} > 0 \\ \texttt{ORTHOTOPES} > 1 \end{split}$ | | |

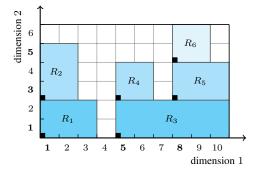


Figure 5.652: Solution corresponding to the **Example** slot

| Symmetry | Items of ORTHOTOPES are permutable. |
|----------|--|
| Usage | The diffn constraint is not enough if one wants to produce a placement where no orthotope floats in the air. This constraint is usually handled with a heuristic during the enumeration phase. |
| See also | used in graph description: orth_on_the_ground, orth_on_top_of_orth. |
| Keywords | constraint type: logic. geometry: geometrical constraint, non-overlapping, orthotope. |

| Arc generator CLIQUE → collection(orthotopes1, orthotopes2) Arc arity 2 | Arc input(s) | ORTHOTOPES | | |
|--|---------------------|--|--|--|
| Arc arity 2 | Arc generator | $CLIQUE \mapsto \texttt{collection}(\texttt{orthotopes1}, \texttt{orthotopes2})$ | | |
| · | Arc arity | 2 | | |
| $Arc constraint(s) \qquad \bigvee \left(\begin{array}{c} \wedge \left(\begin{array}{c} orthotopes1.key = orthotopes2.key, \\ orth_on_the_ground(orthotopes1.orth, VERTICAL_DIM) \end{array} \right), \\ \wedge \left(\begin{array}{c} orthotopes1.key \neq orthotopes2.key, \\ orthotopes1.orth, orthotopes1.orth, \\ orth_on_top_of_orth \left(\begin{array}{c} orthotopes2.orth, \\ orthotopes2.orth, \\ VERTICAL_DIM \end{array} \right) \end{array} \right) \right) \end{array} \right)$ | Arc constraint(s) | (orthotopes1 key \neq orthotopes2 key | | |
| Graph property(ies) NARC= ORTHOTOPES | Graph property(ies) | NARC= ORTHOTOPES | | |

Graph model

The arc constraint of the graph constraint forces one of the following conditions:

- If the arc connects the same orthotope O then the ground directly supports O,
- Otherwise, if we have an arc from an orthotope O_1 to a distinct orthotope O_2 , the condition is: O_1 is on top of O_2 (i.e., in all dimensions, except dimension VERTICAL_DIM, the projection of O_1 is included in the projection of O_2 , while in dimension VERTICAL_DIM the projection of O_1 is located after the projection of O_2).

Parts (A) and (B) of Figure 5.653 respectively show the initial and final graph associated with the **Example** slot. Since we use the **NARC** graph property, the arcs of the final graph are stressed in bold.

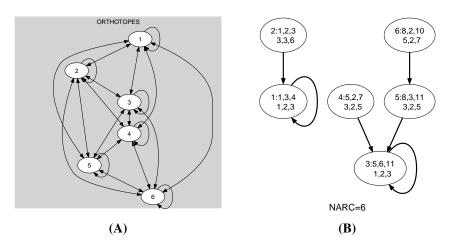


Figure 5.653: Initial and final graph of the place_in_pyramid constraint