## 5.364 soft\_same\_partition\_var

	DESCRIPTION	LINKS	GRAPH
Origin	Derived from same_partition		
Constraint	<pre>soft_same_partition_var(C,VAF</pre>	RIABLES1, VARIABLES2	2, PARTITIONS)
Synonym	soft_same_partition.		
Туре	VALUES : collection(val-:	int)	
Arguments	C : dvar VARIABLES1 : collection(v VARIABLES2 : collection(v PARTITIONS : collection(p	ar-dvar)	
Restrictions	$\begin{array}{l} \texttt{C} \geq 0 \\ \texttt{C} \leq  \texttt{VARIABLES1}  \\  \texttt{VARIABLES1}  =  \texttt{VARIABLES2}  \\ \texttt{required}(\texttt{VARIABLES1},\texttt{var}) \\ \texttt{required}(\texttt{VARIABLES2},\texttt{var}) \\ \texttt{required}(\texttt{VARIABLES2},\texttt{var}) \\ \texttt{required}(\texttt{PARTITIONS},\texttt{p}) \\  \texttt{PARTITIONS}  \geq 2 \\  \texttt{VALUES}  \geq 1 \\ \texttt{required}(\texttt{VALUES},\texttt{val}) \\ \texttt{distinct}(\texttt{VALUES},\texttt{val}) \end{array}$		
Purpose	For each integer $i$ in [1,  PARTITIC of variables of VARIABLES1 (respe partition of the collection PARTITI in the VARIABLES1 and VARIABLE we have $N1_i = N2_i$ .	ctively VARIABLES2) the ONS. C is the minimum	hat take their value in the $i^{th}$ n number of values to change
Example	$\begin{pmatrix} 4, \langle 9, 9, 9, 9, 9, 9, 1 \rangle, \\ \langle 9, 1, 1, 1, 1, 8 \rangle, \\ \langle \mathbf{p} - \langle 1, 2 \rangle, \mathbf{p} - \langle 9 \rangle, \mathbf{p} - \langle 7 \rangle \end{pmatrix}$ In the example, the values of the respectively associated with the part $\mathbf{p} - \langle 1, 2 \rangle$ and $\mathbf{p} - \langle 9 \rangle, \mathbf{p} - \langle 1, 2 \rangle, \mathbf{p}$ is a correspondence between two pairs the runner of the WDD	collections $\langle 9, 9, 9, 9, 9, 9, 9, 9, 9, 9, 9, 9, 9, $	$\langle, \mathbf{p} - \langle 9 \rangle, \mathbf{p} - \langle 9 \rangle, \mathbf{p} - \langle 9 \rangle, $ - $\langle 1, 2 \rangle, \mathbf{p} - \langle 7, 8 \rangle$ . Since there st unset at least $6 - 2$ items (6

is the number of items of the VARIABLES1 and VARIABLES2 collections). Consequently, the soft\_same\_partition\_var constraint holds since its first argument C is set to 6 - 2.

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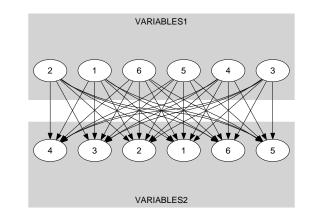
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Typical	C > 0  VARIABLES1  > 1 range(VARIABLES1.var) > 1 range(VARIABLES2.var) > 1  VARIABLES1  >  PARTITIONS   VARIABLES2  >  PARTITIONS			
Symmetries	<ul> <li>Arguments are permutable w.r.t. permutation (C) (VARIABLES1, VARIABLES2) (PARTITIONS).</li> <li>Items of VARIABLES1 are permutable.</li> <li>Items of VARIABLES2 are permutable.</li> <li>Items of PARTITIONS are permutable.</li> <li>Items of PARTITIONS.p are permutable.</li> </ul>			
	<ul> <li>An occurrence of a value of VARIABLES1.var can be replaced by any other value that also belongs to the same partition of PARTITIONS.</li> <li>An occurrence of a value of VARIABLES2.var can be replaced by any other value that also belongs to the same partition of PARTITIONS.</li> </ul>			
Usage	A soft same_partition constraint.			
Algorithm	See algorithm of the soft_same_var constraint.			
See also	<pre>hard version: same_partition. implies: soft_used_by_partition_var.</pre>			
Keywords	characteristic of a constraint: partition.			
	constraint arguments: constraint between two collections of variables.			
	constraint type: soft constraint, relaxation, variable-based violation measure.			

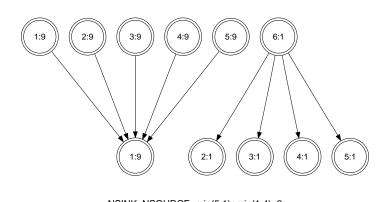
## 2157

Arc input(s)	VARIABLES1 VARIABLES2
Arc generator	$PRODUCT \mapsto \texttt{collection}(\texttt{variables1}, \texttt{variables2})$
Arc arity	2
Arc constraint(s)	<pre>in_same_partition(variables1.var, variables2.var, PARTITIONS)</pre>
Graph property(ies)	NSINK_NSOURCE=  VARIABLES1  - C
Graph model	Parts (A) and (B) of Figure 5.706 respectively show the initial and final graph associ-

Parts (A) and (B) of Figure 5.706 respectively show the initial and final graph associated with the **Example** slot. Since we use the **NSINK\_NSOURCE** graph property, the source and sink vertices of the final graph are stressed with a double circle. The soft\_same\_partition\_var constraint holds since the cost 4 corresponds to the difference between the number of variables of VARIABLES1 and the sum over the different connected components of the minimum number of sources and sinks.







**(B)** 

NSINK\_NSOURCE=min(5,1)+min(1,4)=2

Figure 5.706: Initial and final graph of the soft\_same\_partition\_var constraint